Name $\qquad$

Painted Cube: If I take a cube
 and dip it in a bucket of paint how many unit cubes will be painted on 0 faces? 1 face? 2 faces? 3 faces? 4 faces? 5 faces? 6 faces?


| Size | Number of unit cubes | Number of unit cubes with exactly zero faces painted | Number of unit cubes with exactly one face painted | Number of unit cubes with exactly two faces painted | Number of unit cubes with exactly three faces painted |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $2 \times 2 \times 2$ |  |  |  |  |  |
| $3 \times 3 \times 3$ |  |  |  |  |  |
| $4 \times 4 \times 4$ |  |  |  |  |  |
| CHECK POINT: Call a teacher over BEFORE you move on! |  |  |  |  |  |
| $5 \times 5 \times 5$ |  |  |  |  |  |
| $\begin{gathered} 100 \times 100 \\ \times 100 \\ \hline \end{gathered}$ |  |  |  |  |  |
| $n \times n \times n$ |  |  |  |  |  |

Each unit cube has six faces. Why aren't "Number of unit cubes with exactly four/five/six faces painted" columns in our chart?

How do you figure out the number of unit cubes in a cube?

How are you counting the number of cubes with one side painted?
$\qquad$
$\qquad$
How are you counting the number of cubes with two faces painted?

How are you counting the number of cubes with three faces painted?

